

UNIT-1

Pg-1

* Introduction to digital computer :-

* Digital computer :-

- A computer that performs calculation and logic operation with quantities represented as digits usually in the binary number system.
- In these types of computers, input is discrete rather than continuous, consisting of combination of numbers, letters, and other characters represented internally in binary notation.

* Analog computer :-

- It comes from the Greek word which means establishing similarities between two quantities.
- It represents data by measurable quantities as voltage whereas that by number.
- In these type of computers arithmetical and logical operation are combined using signal amplifiers.

* Difference between Digital & Analog computer

Digital computer

- i) It's maintenance cost is low
- ii) It's processing speed is low high.
- iii) It is portable in nature
- iv) It consume more power supply
- v) Digital hardware is flexible in implementation

Analog computer

- i) It is maintenance cost high
- ii) It is processing speed is low, as compared to digital computer
- iii) It is large in size consume large space
- iv) It consume less power supply
- v) Analog hardware are not flexible

UNIT-2

** Binary Number codes and Arithmetic Numbering System :-

* Binary Number :-

- Binary Number is a number expressed in binary numeral system which represents numeric values using two different symbols 0 & 1.
- It is used internally by almost all modern computers computer based devices each binary digit is referred to as a bit.

* Conversion :-

Decimal to binary Number (12)₁₀.

$$12/2 \quad 21 \quad 0$$

$$21/2 \quad 10 \quad 1$$

$$10/2 \quad 5 \quad 0$$

$$5/2 \quad 2 \quad 1$$

$$2/2 \quad 1 \quad 0$$

$$1/2 \quad 0 \quad 1$$

$$(12)_{10} = (1100)_{2} \quad \underline{\text{Ans}}$$

Q Decimal no. to binary no. 75 to binary

$$75/2 \quad 36 \quad 1$$

$$36/2 \quad 18 \quad 0$$

$$18/2 \quad 9 \quad 0$$

$$9/2 \quad 4 \quad 1$$

$$4/2 \quad 2 \quad 0$$

$$2/2 \quad 1 \quad 0$$

$$1/2 \quad 0 \quad 1$$

$$(75)_{10} = (1001001)_{2} \quad \underline{\text{Ans}}$$

Q $(81.635)_{10} = (1010001.101100)_{2}$

81 2	40	1	• 635 × 2	1.270	1
40 2	20	0	• 270 × 2	0.54	0
20 2	10	0	• 54 × 2	1.08	1
10 2	5	0	• 08 × 2	0.16	1
05 2	2	1	• 16 × 2	0.32	0
02 2	1	0	• 32 × 2	0.64	0
01 2	0	1			

Qw $(0.8125)_{10} = (0.1101)_2$

0.8125×2	1.6250	1
1.6250×2	1.250	1
1.250×2	0.50	0
0.5×2	1.00	1

Note The process will be continue until the seven (7) stops.

Q Decimal to Octal

$(63)_{10} = (77)_8$

$63 | 8 = 7 \ 7$

$7 | 8 = 0 \ 7$

Q

$(256)_{10}$	$(400)_8$
256 8	32 0
32 8	4 0
4 8	0 4

Q

$(1024)_{10} = (2000)_8$

1024 8	128	0
128 8	16	0
16 8	2	0
2 8	0	2

Q Conversion of decimal to octal ⁽³⁾
 $(0.96)_{10} = (75341)_8$

0.96×8	7.68	7
0.68×8	5.44	5
0.44×8	3.52	3
0.52×8	4.12	4
0.12×8	0.96	1

Q $(110.01)_{10}$ $(156.00507)_8$

$110 \div 8$	13	6
$13 \div 8$	1	5
$1 \div 8$	0	1

0.01×8	0.08	0
0.08×8	0.64	0
0.64×8	5.12	5
0.12×8	0.96	0
0.96×8	7.68	7

Note

the process will continue to 5 steps

* Floating Point Number Representation - (4)

1. A Number which has both an integer part as well as fractional part is called real or floating point.

eg - 856.35, 65.5 (FPDN)
1111.01, 0101, 10 (BFPN).

2. In floating point representation a second register is used to store the number that specify the position of decimal fractional part on the number stored in the first register.

Note :-

Register :-

Temporary storage device which holds the number temporarily for calculation purpose.

3. The real number 875.99 can also be written as 8.7599×10^2 .
If point shifts to words left than exponent to words right then exponent is negative.

4. The floating point representation of no. are stored in the computer in the scientific representation, thus in a computer floating point no. are representation in two part namely Mantissa part and exponential part indicates the position of decimal in the no.

eg - 365.234 10^{-4}

Sign	Mantissa	Sign	Exponent
0	365.23	+	4
	11011.1*	2	8

Sign	Mantissa	Sign	exponent
0	±10±1	0	8

thus real no. in floating point representation is represented as $n = m \times r^e$.

- N = floating point or real number
- M = Mantissa
- r = radix point base
- e = exponent.

Subtraction :-

$$\begin{array}{r}
 0.4955 \times 10^5 \\
 0.39 \times 10^3 \\
 \hline
 49.35 \times 10^3 \\
 0.39 \times 10^3 \\
 \hline
 48.96 \times 10^3
 \end{array}$$

Multiplication :-

$$(0.486 \times 10^3) \times (26.5 \times 10^6) = (0.486 \times 26.5 \times 10^9)$$

Division :-