

from a rarer to a denser medium and r' and t' be the coefficient from a denser to a rarer medium.

Stokes treatment shows —

- (a) $r^2 + tt' = 1$ (Conservation of energy)
- (b) $r = -r'$ (The amplitude reflection coefficient changes sign when the direction of light is reversed, signifying the π phase change)

Derivation →

(a) Direct process — consider a light wave of amplitude A incident on the boundary between medium rarer and medium denser.

- (i) Reflected wave amplitude A_r →
- (ii) Transmitted wave amplitude A_t

(b) Reversed process — Consider the reflected and transmitted waves now reversing their paths.

(i) The reflected wave A_r strikes the boundary again, reflecting with amplitude

(A) $r = A_r^2$ and reflecting with
 (A') $t' = A_r t'$

(ii) The transmitted wave A_t strikes the boundary from the other side, reflecting with amplitude

transmitted with $(At)t = Att$

(iii) Resultant — to satisfy the principle of reversibility, the combined amplitudes must satisfy.

(a) $r^2 + t^2 = 1$ (Total intensity is conserved)

(b) $r = -r'$ (The negative sign indicates that a wave reflected from a denser medium experiences a phase shift of π compared to one reflected from a rarer medium).

Stokes treatment is critical for determining the condition for interference in thin films.

✓ Reflected system $\rightarrow \Delta = 2\mu t \cos r = \lambda/2$

(When ray reflects from rarer to denser and the denser to rarer) (The total effective path difference)

✓ Transmitted system \rightarrow Both interfering rays undergo similar reflections, resulting in no relative π phase shift.

✓ Complementary fringes \rightarrow Because of this π phase shift in reflection, the reflected (bright) and transmitted (dark) interference patterns are complementary.